(except for the intrusion of a chapter on twinning) is devoted to chapters of more specifically mineralogical or geological interest: mineral formation in nature, mineral synthesis, crystal growth (but without any reference to the important recent work on this subject), gem stones, colour, luminescence and fluorescence, the core of the Earth, the occurrence of gold, platinum and iron in the Earth's crust (twice as much space is devoted to this topic as to crystal optics), meteorites, and methods of mineral identification.

In spite of its title and the recommendations on the wrapper, the book gives a distorted picture of the field of modern crystallography. There is no mention at all of the structures of metals or molecular compounds, and the general reader might well be excused if he formed the impression that crystals are to be found only in the mineral kingdom and that their study has been almost exclusively confined to German-speaking scientists.

R. C. Evans

Crystallographic Laboratory
Cavendish Laboratory
Cambridge
England

The Statistical Approach to X-ray Analysis.
By V. Vand and R. Pepinsky. Pp. xvi+98. State College: X-ray and Crystal Analysis Laboratory of the Pennsylvania State University. 1953. Price $1·50.

The solution of the phase problem is the rainbow's end which those interested in the theory of crystal-structure analysis have been pursuing for a long time now. The statistical approach of Vand & Pepinsky represents an important step in the right direction. They sensibly refrain from claiming that they have found a pot of gold; in fact an important part of their book is devoted to showing that all is not gold that is published by the American Crystallographic Association. The present research monograph will be read with interest and profit by all concerned with research on crystal structures. It is certain to stimulate further work: in fact the authors suggest enough undeveloped lines of exploration to keep us all busy for a long time.

Part I examines the Hauptman & Karle probability distribution function for interatomic vectors but concludes that the new representation gives little more information than a Patterson function. Parts II, IV and VI demonstrate, both theoretically and by means of numerical examples well illustrated with X.R.A.C. maps, that the Hauptman & Karle method of obtaining signs from the intensity distribution alone, depends, in effect, on equating a crystal structure to a modification of its Patterson function, or the square of the latter, or a section through it. The limitations of this procedure are clearly demonstrated.

Parts III and VIII show how the distribution of U_h and of U_{2h} can be found by a semi-empirical method when the unit cell contains N equal atoms distributed at random. The results presented are most interesting and unexpected; for example for a given value of U_h there is a range of values which U_{2h} cannot assume, quite apart from the well-known restriction imposed by

Harker–Kasper inequalities. The way in which Fig. 2 can be obtained from Fig. 1 is unfortunately described in rather a cryptic fashion.

In the remaining sections (there are eleven in all) the authors develop the connection between the 'statistical approach' and the Patterson function, and derive formulae which give the probability that the sign of a structure factor is positive, or that it is equal to the product of the signs of two related structure factors. This is done in some detail for a number of commonly occurring space groups and some very interesting results emerge. Their relation to those obtained by Hauptman & Karle is discussed. A suggestion is made for increasing the usefulness of the conventional Patterson–Harker section.

The text is free from small random errors (apart from a few noted on an errata sheet) and the general style is clear. The same cannot be said of many of the mathematical derivations, however. The authors always treat the mean and the root-mean-square of a function as if they were equivalent. This leads them to make some quite incorrect assumptions. For example, the following objections can be made to the derivation of $P_+(U_{2h})$ on p. 46. (1) The distribution of values of $(U_{2h}-NU_h^2+1)$ is far from gaussian, since U_h has itself a gaussian distribution. (2) The distribution function

$$P = \exp\left[-\tfrac{1}{4}(U_{2h}-NU_h^2+1)^2\right]$$

cannot in any case give the distribution of values of U_{2h} for a fixed value of U_h^2, as is tacitly assumed. To prove this, it is only necessary to put $U_h^2 = 0$, when the distribution P predicts a most probable value for U_{2h} of -1, a value which is contradicted both by experience and the authors' Fig. 2. Nevertheless, the reviewer considers that, by a cancellation of errors, the final expression for $P_+(U_{2h})$ is correct, as after a severe tussle he was able to derive it in another way. The authors have not been so lucky on p. 71. In this case a similarly incorrect derivation has led to an incorrect result, equation (11). A revision of many of the derivations would enhance the value of what is already an excellent piece of work.

W. Cochran

Crystallographic Laboratory
Cavendish Laboratory
Cambridge, England

The Crystalline State. III. The Determination of Crystal Structures. By H. Lipson and W. Cochran. Pp. ix+345 with 305 figs. and 9 plates. London: Bell. 1953. Price 50s.*

This book is the third, and probably the final, volume in the series edited by Sir Lawrence Bragg and entitled The Crystalline State. It is a worthy companion to its two excellent predecessors in the series: A General Survey by Sir Lawrence Bragg, and The Optical Principles of the Diffraction of X-rays by R. W. James.

The authors assume that the X-ray diffraction data have been collected, corrected and tabulated, and direct their attention solely to the problems that arise in at-

*Contribution No. 1910 from the Gates and Crellin Laboratories.